Question 1.

Kind of token	regular expression
identifier	(a f n)+
fn keyword	$_{\mathrm{fn}}$
integer literal	(0 1)+
left parenthesis	\setminus (
right parenthesis	\setminus)
whitespace	

Question 2.









Left poventhus is



Question 3.



Question 4.



Question 5 (628).

Note: "accepting" state means the same thing as "final" state.

DFA state 7 represents the reachable NFA state set $\{2, 5\}$. NFA state 2 is the accepting state for identifiers, and NFA state set 5 is the accepting state for the **fn** keyword. If we want to prioritize recognition of the **fn** keyword, we simply make this DFA state correspond to matching an occurrence of **fn** rather than identifier. In flex, we'd do this because in the lexer specification, the pattern for **fn** was earlier than the pattern for identifier. This is how flex resolves ambiguities: when an ambiguity exists, the earliest pattern "wins".

All other reachable NFA state sets have an accepting state corresponding to at most 1 token type, so there are no other ambiguities.

Question 5 (428), 6 (628).

For brevity: i is identifier, n is integer-literal.

So, we want to derive $\left[\left(\begin{array}{c} (\mathbf{fn} (\mathbf{i}) (\mathbf{iin}) \right) \mathbf{n}\right)\right]$. (Because "a" and "fff" are both identifiers, and "101" and "110" are both integer literals.)

Working string	Production
exp-list	$exp-list \rightarrow exp$
$\underline{\exp}$	$\exp \rightarrow (\exp - \text{list})$
(exp-list)	$exp-list \rightarrow exp exp-list$
(exp exp-list)	$\exp \rightarrow (\mathbf{fn} (i) \exp)$
$(\overline{\mathbf{(fn}}(\mathbf{i}) \exp) \exp))$	$\exp \rightarrow (\exp - \text{list})$
$((\mathbf{fn}(\mathbf{i})(\mathbf{exp-list})))$ exp-list $)$	$exp-list \rightarrow exp exp-list$
$((\mathbf{fn}(\mathbf{i})(\overline{\operatorname{exp}\operatorname{exp}}-\operatorname{list})))$ exp-list $)$	$\exp \rightarrow i$
$((\mathbf{fn}(\mathbf{i})(\mathbf{i})\mathbf{exp-list}))$ exp-list $)$	$\operatorname{exp-list} \to \operatorname{exp} \operatorname{exp-list}$
$((\mathbf{fn}(\mathbf{i})(\mathbf{i}) \in \overline{\exp \exp - \operatorname{list}})) \exp - \operatorname{list})$	$\exp \rightarrow i$
$((\mathbf{fn}(\mathbf{i})(\mathbf{i})\overline{\mathbf{iexp-list}}))$ exp-list $)$	$\operatorname{exp-list} \to \operatorname{exp}$
$((\mathbf{fn}(\mathbf{i})(\mathbf{i}\mathbf{i}\overline{\mathrm{exp}})))$ exp-list $)$	$\exp \rightarrow n$
$((\mathbf{fn}(\mathbf{i})(\mathbf{i}\mathbf{i}\overline{\mathbf{n}})) \text{ exp-list})$	$\operatorname{exp-list} \to \operatorname{exp}$
$((\mathbf{fn}(\mathbf{i})(\mathbf{iin}))\overline{\mathrm{exp}})$	$\exp \rightarrow n$
((fn (i)(iin)) <u>n</u>)	

Question 6 (428), 7 (628).



Question 7 (428), 8 (628).

For brevity: i is identifier, n is integer-literal.

$$\begin{split} & FIRST(exp) = \{ \text{ i, n, (} \} \\ & FOLLOW(exp) = \{ \text{ i, n, (,), } \textit{eof} \} \end{split}$$

Question 8 (428), 9 (628).

Note that building a parse tree isn't explicitly shown.

```
parseExp()
t = peek()
if (t is null)
    error("unexpected end of input")
if (t is identifier)
    -- Apply exp \rightarrow identifier
    expect(identifier)
else if (t is integer-literal)
    -- Apply exp \rightarrow integer-literal
    expect(integer-literal)
else if (t is "(")
    expect("(")
    t = peek()
    if (t is null)
        error("unexpected end of input")
    else if (t is fn)
        -- Apply exp \rightarrow (fn \ (identifier \ ) exp \ )
        expect("fn")
        expect("("))
        expect(identifier)
        expect(")")
        parseExp()
        expect(")")
    else
        -- Apply exp \rightarrow (exp-list)
        parseExpList()
        expect(")")
```

Question 10 (628).

No, because the FIRST+ sets of the $exp \rightarrow (exp-list)$ and $exp \rightarrow (fn (identifier) exp)$ productions both contain "(". Another way to look at this is to recognize that distinguishing these productions requires two tokens of lookahead.